## Department of Electrical Engineering

For the network shown below, assume that link state routing is used to build the routing tables. Suppose that node $A$ has received the link state packets from all the other nodes. Detail the steps of Dijkstra's algorithm for calculating the shortest paths at node $A$ by adding the rows to the table given below.


| Step | $M$ | $N-M$ | Cost to $B$, Next hop to $B$ | Ct to $C$, NH to $C$ | Ct to $D$, NH to $D$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | $\{A\}$ | $\{B, C, D\}$ | $5, B$ | $10, C$ | $\infty,-$ |
|  |  |  |  |  |  |

Psuedocode for Dijkstra's algorithm is given below for your convenience. It calculates the shortest paths at a source node $S . N$ is the set of all nodes, $C_{S}(X)$ is the cost of reaching node $X$ from node $S$ and $l(S, X)$ is the cost of the edge from node $S$ to node $X$.

$$
\begin{aligned}
& M=\{S\} \\
& \text { for each } X \text { in } N-\{S\} \\
& \quad C_{S}(X)=l(S, X) \\
& \text { if } C_{S}(X)<\infty, \text { next hop for } X \text { is } X \text { itself } \\
& \text { while }(N \neq M) \\
& \quad M=M \cup\{Y\} \text { such that } C_{S}(Y) \text { is the minimum among all } Y \text { in }(N-M) \\
& \text { for each } X \text { in }(N-M) \\
& \quad C_{S}(X)=\min \left\{C_{S}(X), C_{S}(Y)+l(Y, X)\right\} \\
& \quad \text { if } C_{S}(X) \text { has changed, next hop for } X \text { is the next hop to reach } Y \text { from } S
\end{aligned}
$$

