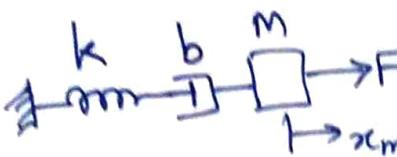
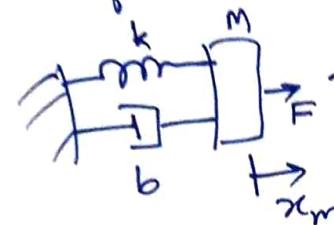


Tutorial Sheet 4, EE302 S<sup>2</sup>, Control Systems, 22<sup>nd</sup> Feb 2024

Q-1:  (a) Find relation between  $F$  &  $x_m$  using 2 approaches to convert to RLC circuit.

fix  $k = 5$ ,  $M = 3$  (SI units)

(b) Find range of  $b > 0$  for underdamped.

Q-2:  Same as Q-1 a & b,

Q-3: They say "positive feedback leads to instability"

- (a) Give an example when the saying is true.  
 (b) ————— is false.

Q-4: They say "negative feedback leads to stability". Same as Q-3 a & b.

Q-5: They say "higher gain  $k$  leads to smaller steady state error" (for step response, for type 0 system, for std. negative unity feedback configuration). Same as Q-3 a & b.

Q-6: They say "higher gain causes faster transients" (i.e. smaller time constants).

Q-7: Plot steady state error vs  $k$  for  $k \in (0, \infty)$  (a)  
 (for standard negative unity feedback configuration) for  $G(s) = \frac{s-2}{s+4}$

(b)  $G(s) = \frac{2-s}{s+4}$  (c)  $\frac{s+2}{s+4}$

Q-8: For  $G(s) = \frac{1}{s^2 + 5s + 6}$ , - plot steady state error vs  $k$ .  
 - what is settling time when %0.05 is 10%.

contd: (in next page).

Q-9 (a) Find breakaway / break-in points for  $G(s) = \frac{(s+2)(s+4)}{s^2+4s+8}$

and angle of arrival/departure.

(b) Let  $k < 0$  & do Q-9a.

Q-10: Same as Q9 for  $\frac{s}{s^2+9}$ . (for  $k > 0$  &  $k < 0$ ).

Q-11:  $\frac{(s+1)(s+3)(s+5)(s+7)}{(s+2)(s+4)(s+6)(s+8)}$  : for ~~that~~ both  $k > 0$  &  $k < 0$ .

Q-12: Exploit symmetry after shifting to left/right for

$G(s) = \frac{1}{(s+1)(s+2)(s+5)(s+4)}$  : find asymptotes angles, intersection point.

Also find breakaway / break-in pts.

for  $k > 0$  &  $k < 0$ .

< 2

Q-13 (a) For  $G(s) = \frac{1}{(s+1)(s+2)}$  can we get  $2^\circ/0.05$  & ~~0.05~~ seconds settling time?

(b) What about  $\frac{(s+5)}{(s+1)(s+2)}$  ?  $\rightarrow$  —.

Q-14: Can ~~pos~~ proportional/gain controller stabilize

$$G(s) = \frac{1}{s^2-1} \text{ or } \frac{1}{s^2+1} ?$$

(Stabilize  $\equiv$  closed loop

poles in Open LHP)

$k > 0$

(under standard negative feedback configuration)

Q-15: Same as Q-14 but for  $\frac{s+2}{s^2-1}$  and  $\frac{s+2}{s^2+1}$

Q-16: Given an example each for below such that closed loop is unstable for large  $k$ .

(a)  $G(s)$  with 2 poles and 1 zero &  $G(s)$  is stable.

(b)  $G(s)$  with no zeros but  $G(s)$  is stable.

Q-17: Consider 8 possibilities  $\div G(s)$  has leading coefficient +ve/-ve  $\forall$  numerators.

$\therefore k > 0, k < 0$ .

$\therefore$  +ve feedback & ~~-ve~~ feedback ( $2 \times 2 \times 2 = 8$  cases).

Explain why only 2 cases are enough instead of 8 cases.  
("All get captured")