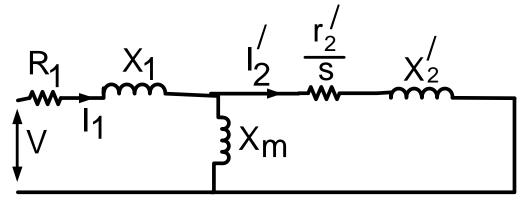
EE 111

Introduction to Electrical Systems

Lecture - 34

Performance features

I/M never runs at synch. speed = Asynchronous Motor



Starting Current

Starting Torque

Power Factor

Efficiency

Name Plate Rating:

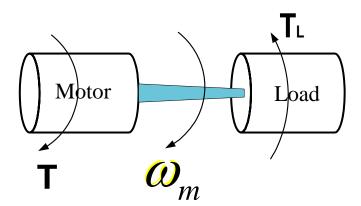
12 kW, $3-\phi$, 50 Hz, 25 A, 400 V, 1440 rpm delta connected, 0.8 pf (lag) squirrel cage induction motor

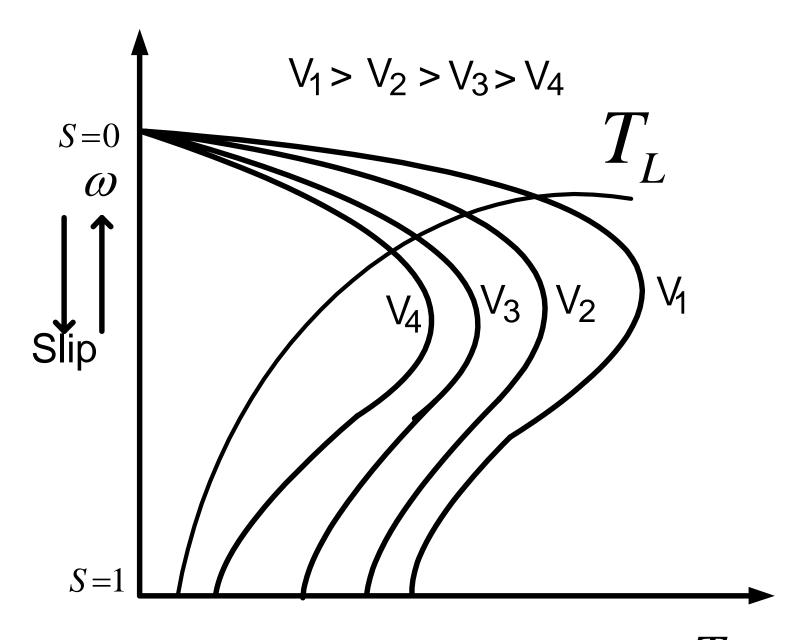
Generating Mode of operation

Variable terminal voltage control

$$T = \frac{3}{\omega_s} \left[\frac{V_t^2 \frac{r_2'}{s}}{(R_t + \frac{r_2'}{s})^2 + (X_t + X_2')^2} \right]$$

$$\simeq \frac{3}{\omega_s} \frac{V_t^2}{r_2'} s$$





Variable terminal voltage control

Poor efficiency

Neglecting stator losses and rotational losses:

$$P_{m} = (1-s)P_{g}$$

$$\eta = \frac{P_{m}}{P_{g}} = (1-s)$$

Rotor resistance Control: Wound rotor Motors

$$T = \frac{3}{\omega_s} \left[\frac{V_t^2 \frac{r_2'}{s}}{(R_t + \frac{r_2'}{s})^2 + (X_t + X_2')^2} \right] \simeq \frac{3}{\omega_s} \frac{V_t^2}{r_2'} s$$

$$\simeq \frac{3}{\omega_s} \frac{V_t^2}{v_2'} s$$

Variable frequency Control

$$N_s = \frac{120f}{P}$$
 Assuming $E_{rated} = 4.44k_{sw}N_{st}f_{rated}\phi_p$ $f = kf_{rated}$ $E \simeq V = k$ $\phi_p = \frac{E_{rated}}{4.44k_{sw}N_{st}f_{rated}}$ Therefore

In order to maintain air gap flux at its rated value:

Assuming,
$$V \simeq E$$

$$f = kf_{rated}$$
$$E \simeq V = kV_{rated}$$

Therefore,

$$\frac{V}{f} = \frac{V_{rated}}{f_{rated}}$$

V / f Controlled induction motor drive

DC Machine

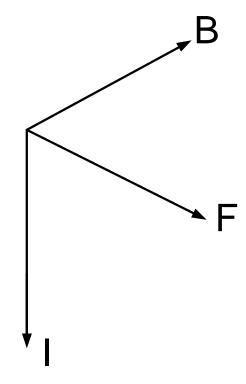
DC Machine:

DC Motor

DC Generator

Conductor carrying current when placed in a magnetic field experience Mechanical force.

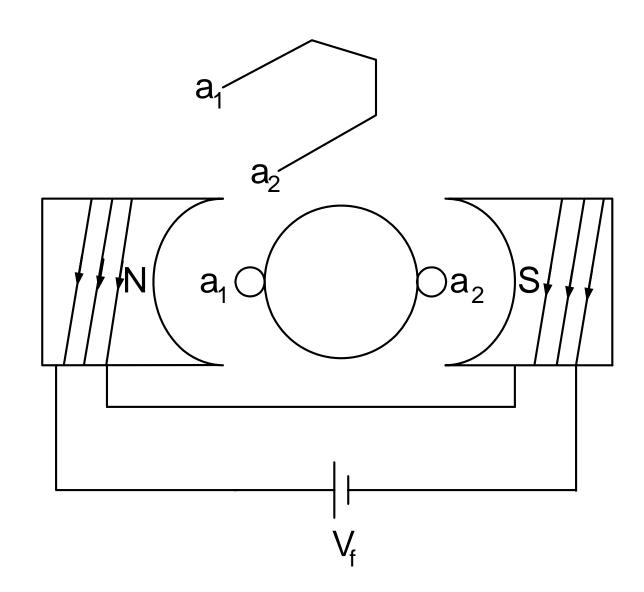
Fleming's Left hand Rule

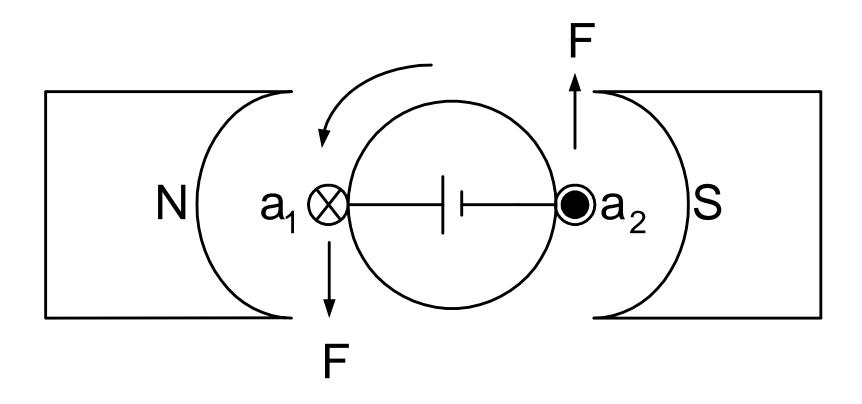


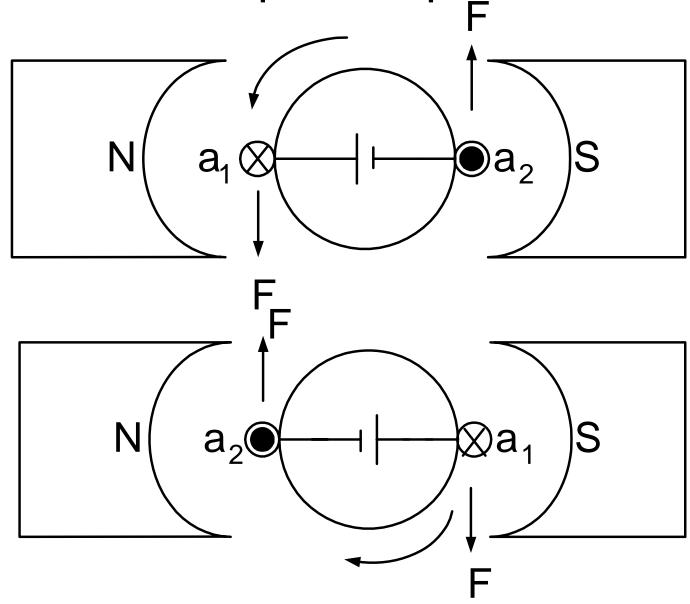
Field winding

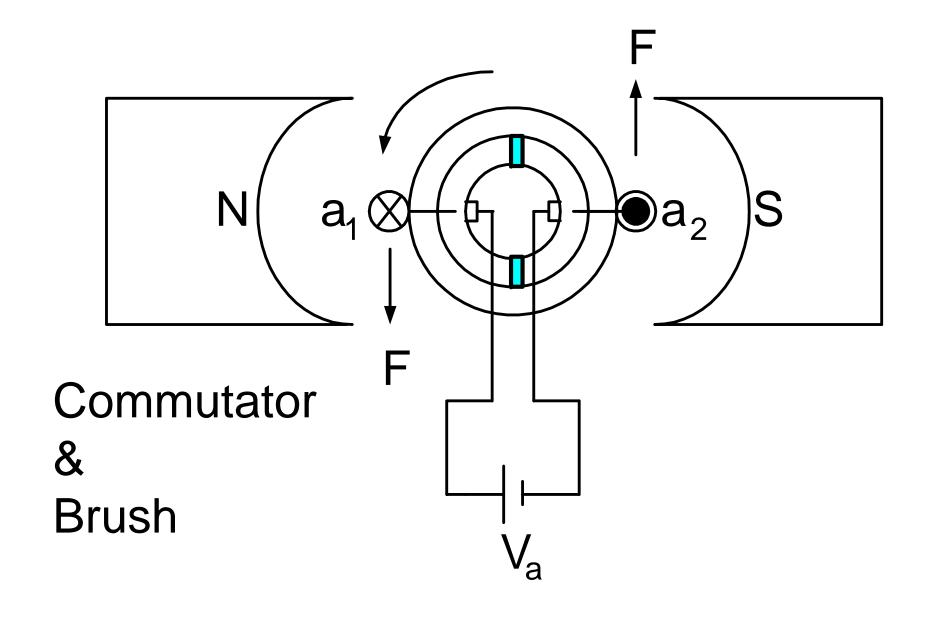
Armature

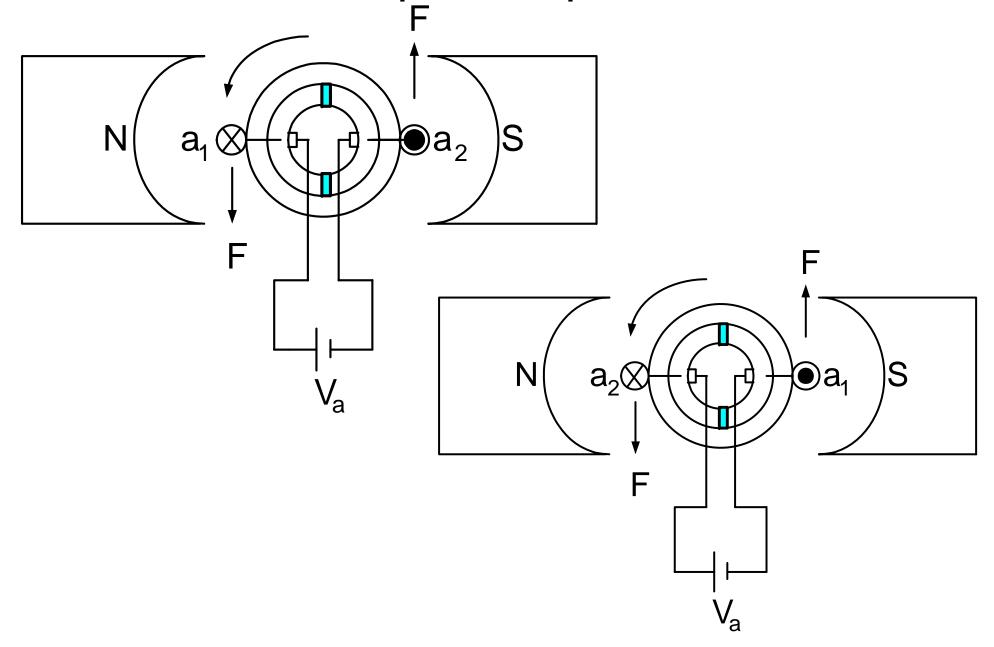
Armature Conductor

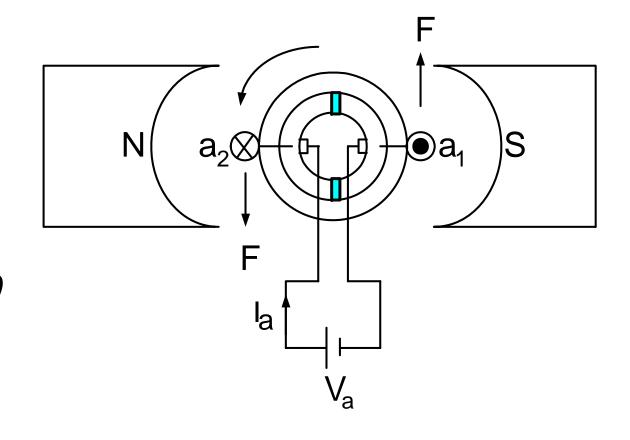












 $F = BIL \sin \theta$ $\theta \approx 90^{0}$ $T \propto \phi I_{a}$

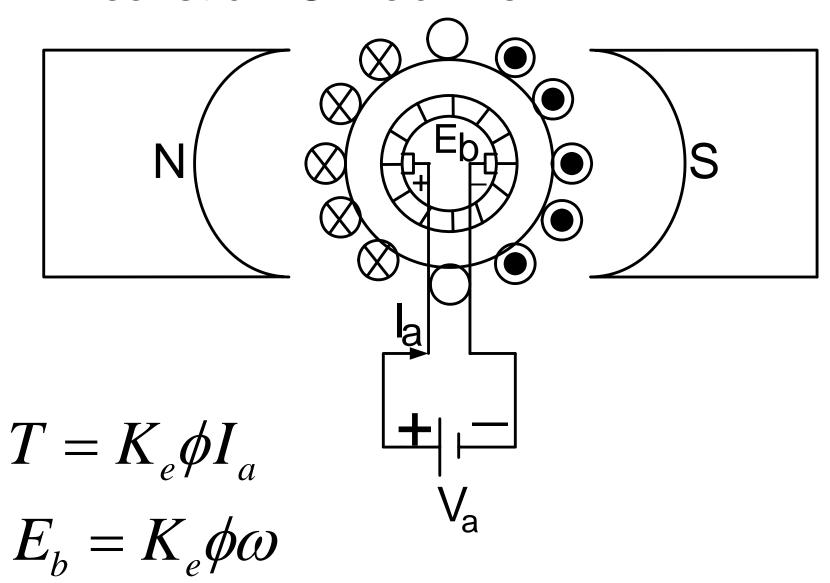
Contradiction from Faraday's Law

$$E_b = 2BLv\sin\theta$$

$$E_b \propto \phi\omega$$
 Fleming's right hand rule assigns the polarity of induced voltage, E

Fleming's right Hand rule

A Realistic DC Machine

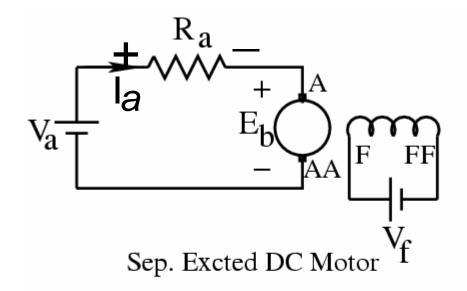


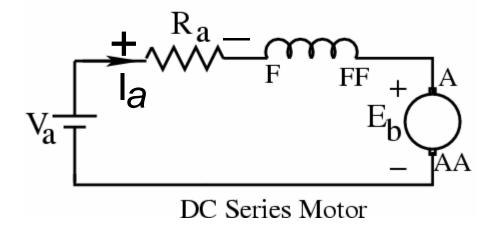
DC Machine: Steady state model and behaviour

Speed-Torque Characteristics

$$V_{a} = E_b + I_a R_a$$
 $E_b = K_e \Phi \omega$
 $T = K_e \Phi I_a$

$$\omega = \frac{V}{K_e \phi} - \frac{R_a}{K_e \phi} I_a$$
$$= \frac{V}{K_e \phi} - \frac{R_a}{(K_e \phi)^2} T$$





DC Machine: Torque vs. speed Characteristics

For Sep. Excited Motor:

$$V_a = E_b + I_a R_a$$

$$E_b = K_e \Phi \omega$$

$$T = K_e \Phi I_a$$

$$\omega = \frac{V}{K_e \phi} - \frac{R_a}{K_e \phi} I_a$$
$$= \frac{V}{K_e \phi} - \frac{R_a}{(K_e \phi)^2} T$$

$$K_e \Phi = K$$

$$\omega = \frac{V_a}{K_e \phi} - \frac{R_a}{(K)^2} T$$

For Series Motor:

$$V_a = E_b + I_a R_a$$

$$E_b = K_e \Phi \omega$$

$$T = K_e \Phi I_a$$

$$\omega = \frac{V}{K_e \phi} - \frac{R_a}{K_e \phi} I_a$$
$$= \frac{V}{K_e \phi} - \frac{R_a}{(K_e \phi)^2} T$$

$$\Phi = K_f I_a$$

$$\omega = \frac{V_a}{\sqrt{K_e K_f} \sqrt{T}}$$
$$-\frac{R_a}{K_e K_f}$$

Speed – Torque Characteristic

